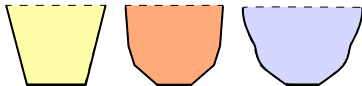


PHILIPS - A NEW RAY TRACING METHOD FOR NON-IMAGING OPTICS

Jan Bouwe van den Berg, Rui Castro, Jan Draisma, Joep Evers, Maxim Hendriks, Giorgi Khimshiashvili, Oleh Krehel, Ivan Kryven, Karin Mora, Botond Szabó, Piotr Zwiernik

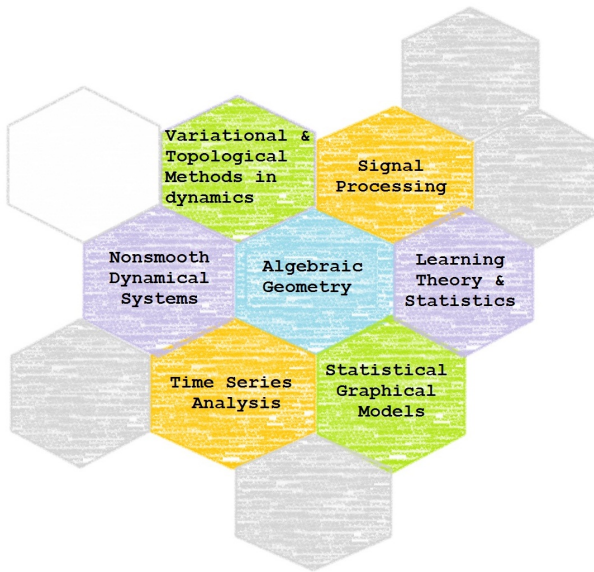
Study Group with Industry Eindhoven 2012

Japanese Mathematical Forum, July 19, 2012



ABOUT PARTICIPANTS

PhD students, Post docs, Lecturers & Professors



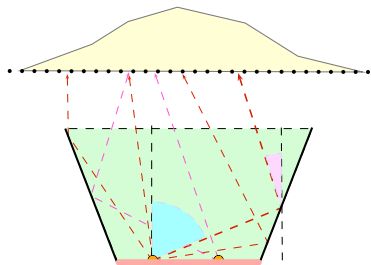


http://commons.wikimedia.org/wiki/File:Philips_Xtreme_Power_headlight_bulb.JPG

http://commons.wikimedia.org/wiki/File:66marlinFastback_white_hood_nameplate_and_headlights.jpg

http://commons.wikimedia.org/wiki/File:Laparoscopic_stomach_surgery.jpg

http://commons.wikimedia.org/wiki/File:My_Chemical_Romance_lights.jpg



Philips approach: Monte Carlo Method

Extensions to 3D

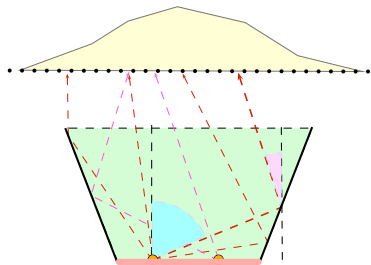
Light Characteristics

- luminous intensity
- colour point
- brightness

Finite or far field

Fixture characteristics

- lenses
- mirrors
- shape



Philips approach: Monte Carlo Method

Extensions to 3D

Light Characteristics

- luminous intensity
- colour point
- brightness

Finite or far field

Fixture characteristics

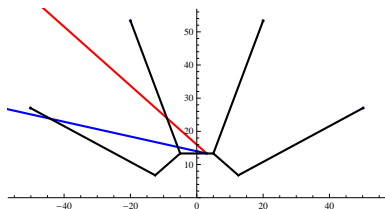
- lenses
- mirrors
- shape



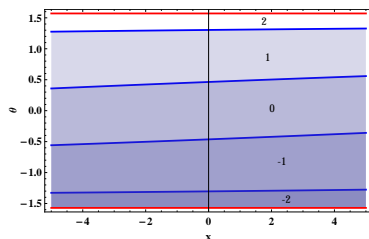
TWO-FACETED CUP

Analytical results

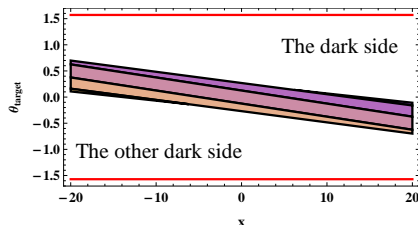
- \exists maximum number of reflections n
- $\tan(\theta) = C_1(n, par) - C_2(n, par)x$
- $(x_{target}, \theta_{target}) = f(x, \theta, n, par)$
- Philips example:



Source:

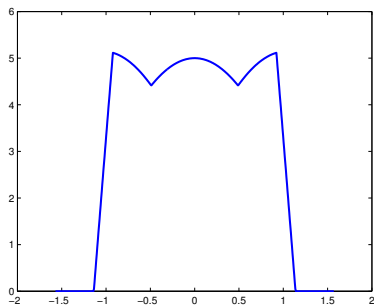
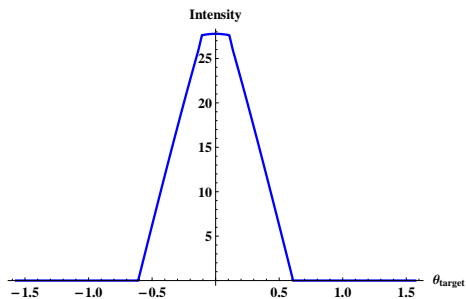


Target:



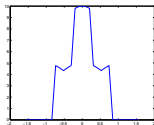
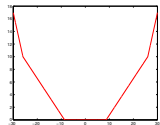
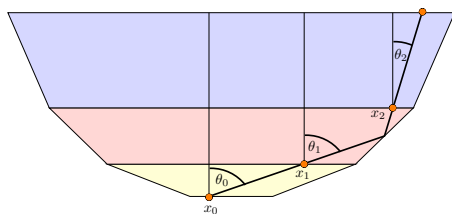
LIGHT INTENSITY

$$I_{\text{source}} \sim \cos \theta \text{ (Lambertian)}$$

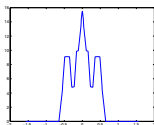
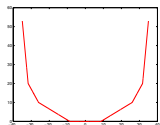


Varying cup parameters.

INTENSITY FOR MULTI-FACETED CUPS



4-faceted Fixture



6-faceted Fixture

In one week

- For axis-symmetric 2-facet cups:
 - Formulas for the boundaries of the source and target phase spaces were derived
 - Implemented in Mathematica
- For axis-symmetric multifaceted cups:
 - Explicit formulas for the intensity function on the far field were derived
 - Implemented in Mathematica
- For arbitrary smooth cups:
 - A deterministic algorithm for numerical approximation of the division of source phase space (with exponential order convergence) was written
 - MC algorithm for integration over the source phase space, using bootstrapping, was constructed
 - Implemented in Matlab